

Exercises for the Course
Logic Programming Engineering

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Practical 3
Lists, Recursion II

Exercise 3.1

Define a predicate $delfirstn(List, N, DL)$ which deletes the first N elements of a list $List$, and gives the result as list DL .

Example: $? - delfirstn([a, b, c, d, e], 3, DL)$. gives $DL = [d, e]$.

Exercise 3.2

Define a predicate $average(List, Av)$ where Av is the average over the numeric elements of a list $List$.

Hints: Write an auxiliary predicate $sum(List, Sum)$ for the sum of elements of list $List$, and use the system predicate $length(List, N)$ which computes the number N of the elements of list $List$.

For a more efficient solution write an auxiliary predicate $sum_number(List, Sum, Number)$ which calculates the sum and the number of elements of a list going only once through the list.

Example: $? - average([2, 3, 5, 1, 6], Av)$. gives $Av = 3.4$.

Exercise 3.3

Define a predicate $maxmember(List, Max)$ where Max is the maximum of the elements of list $List$.

Example: $? - maxmember([3, 1, 5, 2], Max)$. gives $Max = 5$.

Exercise 3.4

Define predicates for the greatest common divisor (using EUCLID's algorithm) and the lowest common multiple ($lcm(N1, N2) := (N1/gcd(N1, N2)) * N2$) of two non-zero integers $N1$ and $N2$.

EUCLID's algorithm for $gcd(N1, N2)$ in pseudocode:

```
while N2>0 do
  Remainder:=N1 mod N2
  N1:=N2
  N2:=Remainder
end_while
gcd:=N1
```

Hint: Use the system operators mod and $//$ for the modulo operation and the integer division.

Example: $? - gcd(24, 18, D)$. gives $D = 6$ and $lcm(24, 18, M)$. gives $M = 72$.

Exercise 3.5

Define a predicate $horner(X, List, Y)$ which for a given polynomial func-

tion in X with coefficients represented in the list $List$ computes the function value Y using HORNER's rule

(e.g. $Y = 3 * X^3 + 2 * X^2 - 5 * X + 4 = ((3 * X + 2) * X - 5) * X + 4$).

Solve it a) without an accumulator;

b) using an accumulator.

Hints for b):

To do this define an auxiliary predicate $horn(X, TList, Sum, Y)$ where Sum is used as an accumulator (initialized with the first coefficient of list $List$ as a first sum). The list $TList$ is the tail of list $List$. The value Y equals Sum if $TList$ is empty - implement this as a fact.

Example: ? - *horner*(4, [3, 2, -5, 4], Y). gives $Y = 208$.